

# Forecasting the spatial spread of an Ebola epidemic in real-time: comparing predictions of mathematical models and experts

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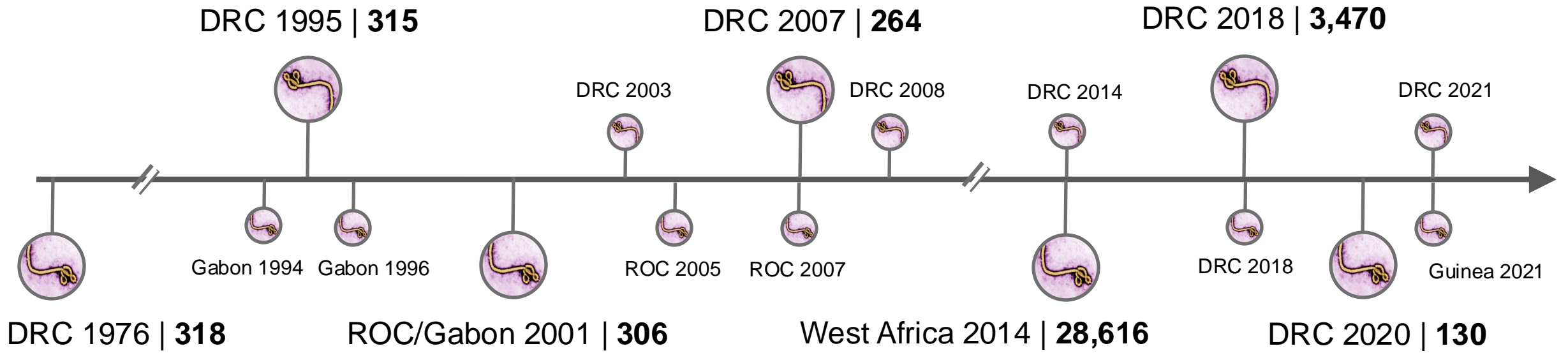




# Ebola Zaire Virus (EZV)

# A brief history...

Place YEAR | **cases**



Case fatality rate of 25-90%

Transmission by very close contact in the symptomatic phase of



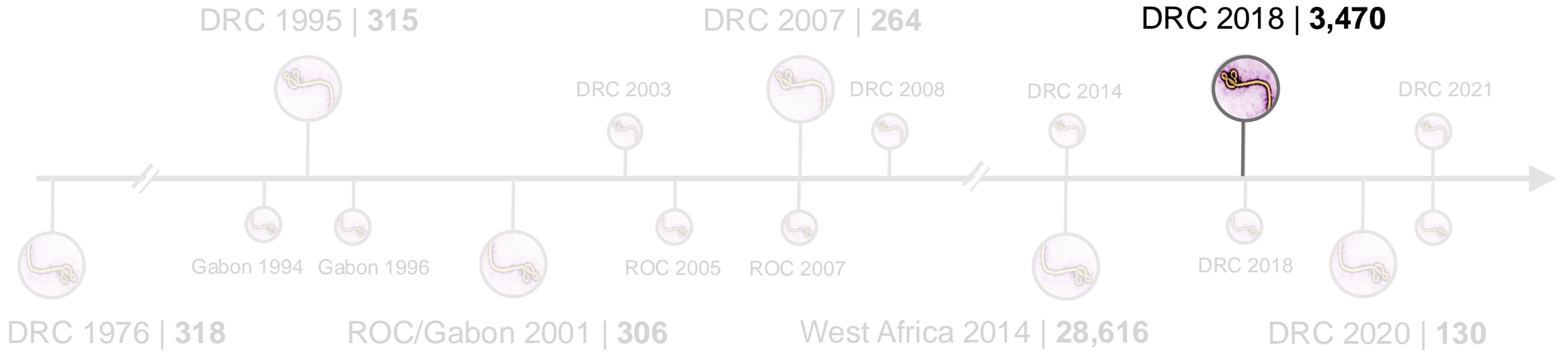
Controllable with active case finding, contact tracing and isolation

Major outbreak in West Africa 2014/15

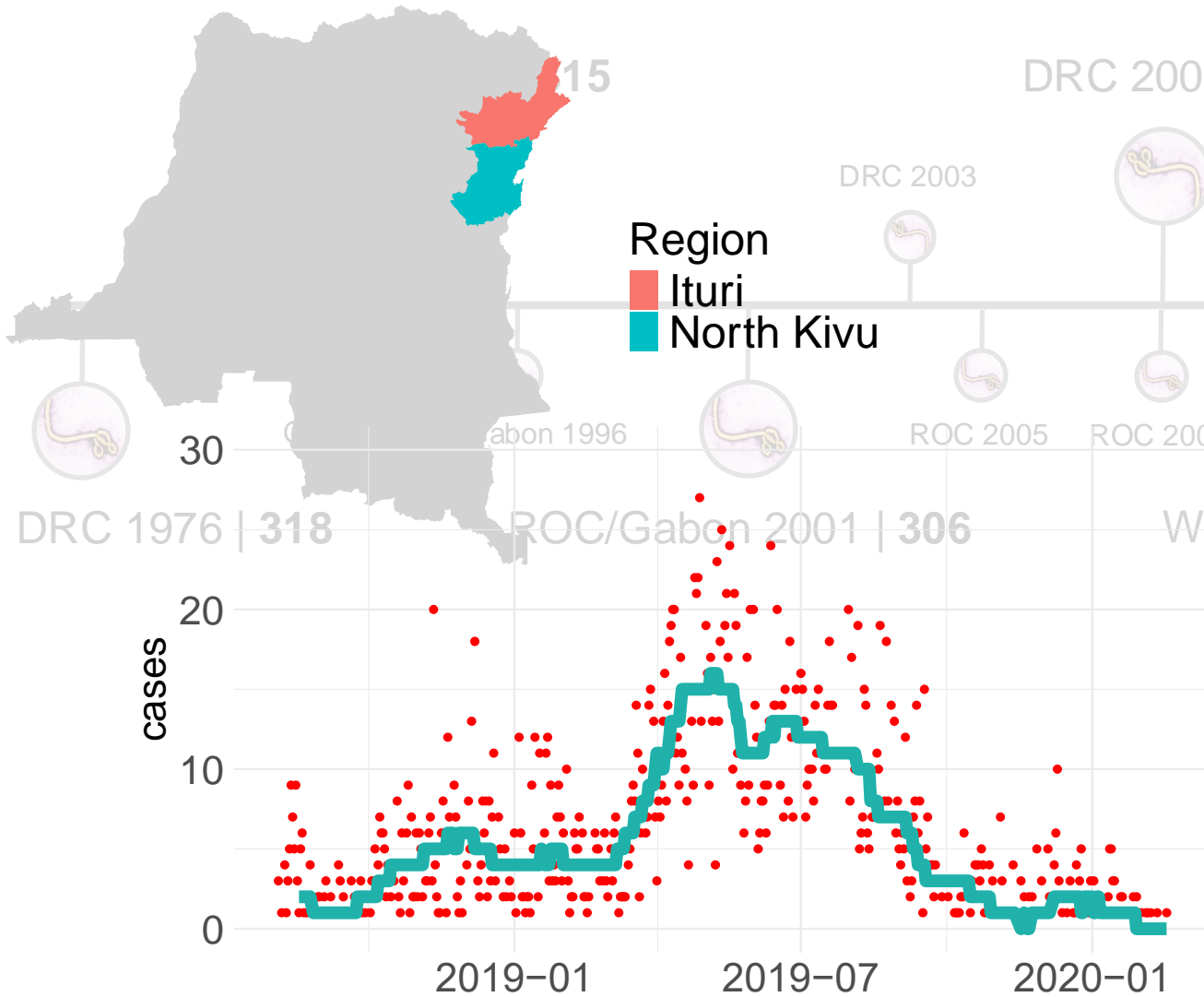


Galvanised the global search for an effective vaccine.

# North Kivu, DRC Outbreak



# North Kivu, DRC Outbreak



- August 2018 – March 2020 (mostly – actually declared over in June 2020)
- Majority of cases in cities of Beni and Butembo
- 3470 cases and 2280 deaths (66% CFR)
- Peaked in summer 2019
- Many efforts to trial vaccines



# Models and their (intended) use in response

# Use of models in response

Responding to Ebola outbreaks can be particularly complex...

**Mobility** in the region is **challenging** - difficult for the disease to travel but also hard to respond quickly

Area of **active conflict** -

**Infectious patients** can **disperse** quickly and some **targetted attacks on Ebola treatment centres** hinders response and puts HCW at risk too.

**Limited lines of communication** can make it **difficult to know whats happening now** let alone what is coming next.

We can try to help with **mathematical modelling**...

Improve **situational awareness**

Estimate  $R_t$

Nowcasting (accounting for reporting delays)

Estimate epidemiological parameters:

Case ascertainment rate

Hospitalisation rate

Case fatality rate

**Project risk**

Forecast cases/hospitalisations/deaths

Highlight geographic areas of higher risk of transmission

Do models help?

*“All models are wrong...”*



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*“All models are wrong...*

*so [modellers] belong in prison along with Bill Gates”*

*Many, many twitter users  
(2020 -2022)*

# Do models help?

*“All models are wrong...*

*so [modellers] belong in prison along with Bill Gates”*

*Many, many twitter users  
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But this raises an important question in modelling as part of response... **ARE we helping?**

# Do models help?

1. We can **evaluate model performance** statistically (although this is rarer than it should be)
  - a) Proper scoring rules
  - b) Bias
  
2. We can **compare** broad modelled outcomes with actual outcomes **qualitatively**
  - a) Were health care facilities overwhelmed?
  - b) Did we have enough vaccines?

But what did we already know? What would we have done anyway?

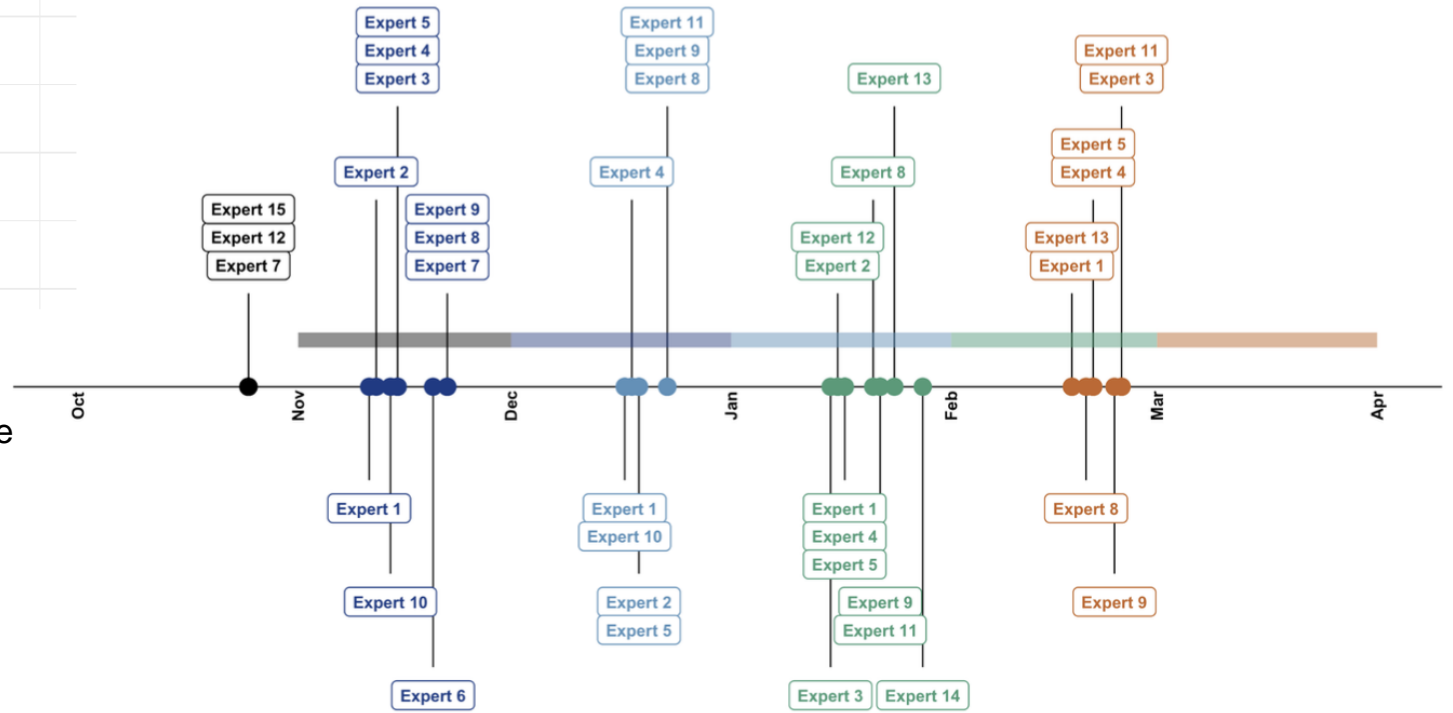
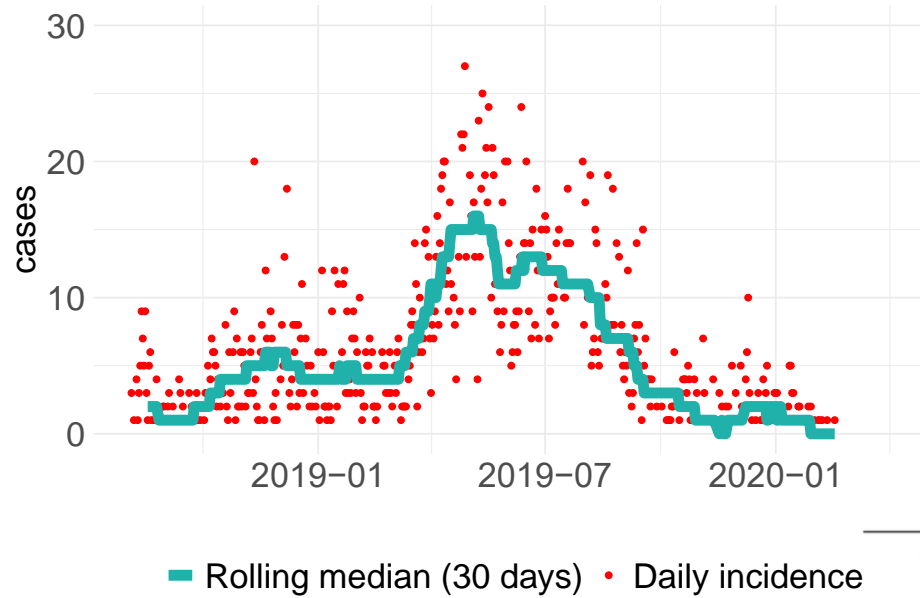
What we **really** want to know is:

## Can models improve on expert state of understanding and practice?



# Modelling and expert elicitation

# Interviews timings



Forecast Month a November 2019 a December 2019 a January 2020 a February 2020 a March 2020



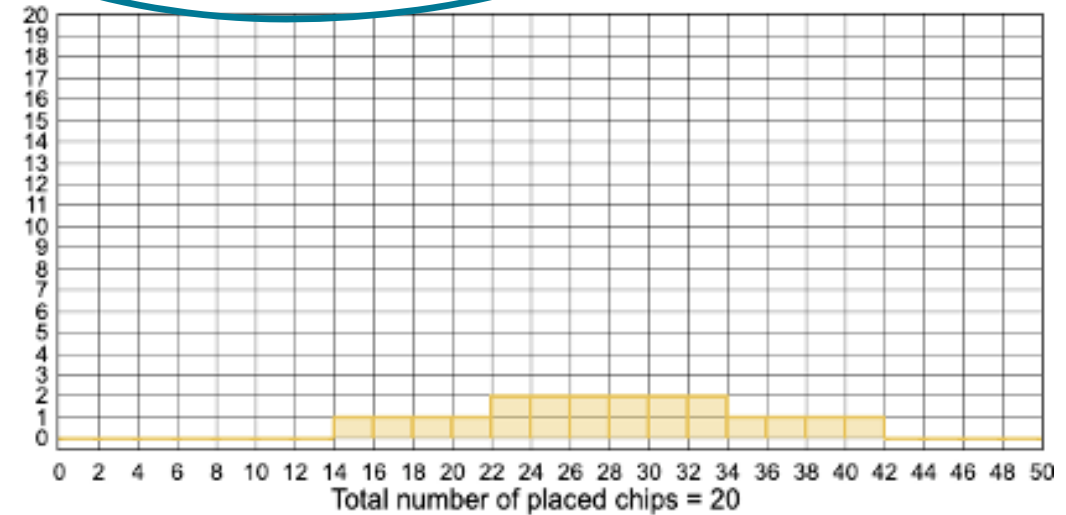
# Expert surveys

Experts presented with a map of Health Zones



HZs with cases in the past 2 weeks are all assessed

Each expert distributes 20 'coins' with equal weight into slots between 0 and 50 (in steps of 2)



Opportunity to nominate other HZs they think are at risk (>5% chance of at least 2 cases)

# Modelling framework

Static model of spatial risk:

$$\lambda_{it} = \sum_{t-(D+L)}^{t-D} \gamma N_{i,t-1} + a \sum_j \omega_{ij} N_{j,t-1}$$

Local transmission
Spatial interaction

↓
↓

$$\omega_{ij} = \frac{P_i P_j}{d_{ij}^k} \quad \text{Gravity model}$$

$$\omega_{ij} = \delta_{ij} P_i P_j \quad \text{Adjacency model}$$

$$N_{i,t} = POIS(\lambda_{i,t})$$

## Inputs

$N_{it}$	Cases	HDX (Sit Reps)
$d_{ij}$	Distance	Euclidian distance between centroids
$\delta_{ij}$	Adjacency	1 if adjacent 0 if not
$P_i$	Population	Aggregates from LandScan estimates

## Parameters

$\gamma$	Internal coeff.	fitted
$\alpha$	Spatial coeff.	fitted
$k$	Distance exponent	fitted

## Constants

$D$	Duration of infection	Fixed at 5 days
$L$	Latent period	Fixed at 7 days

# Modelling framework

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Local transmission      Spatial interaction

$$\omega_{ij} = \frac{P_i P_j}{d_{ij}^k}$$

Gravity model

$$\omega_{ij} = \delta_{ij} P_i P_j$$

Adjacency model

$$N_{i,t} = POIS(\lambda_{i,t})$$

Fit the model using HMC to previous 60 days of outbreak

Project cases using joint posterior distribution



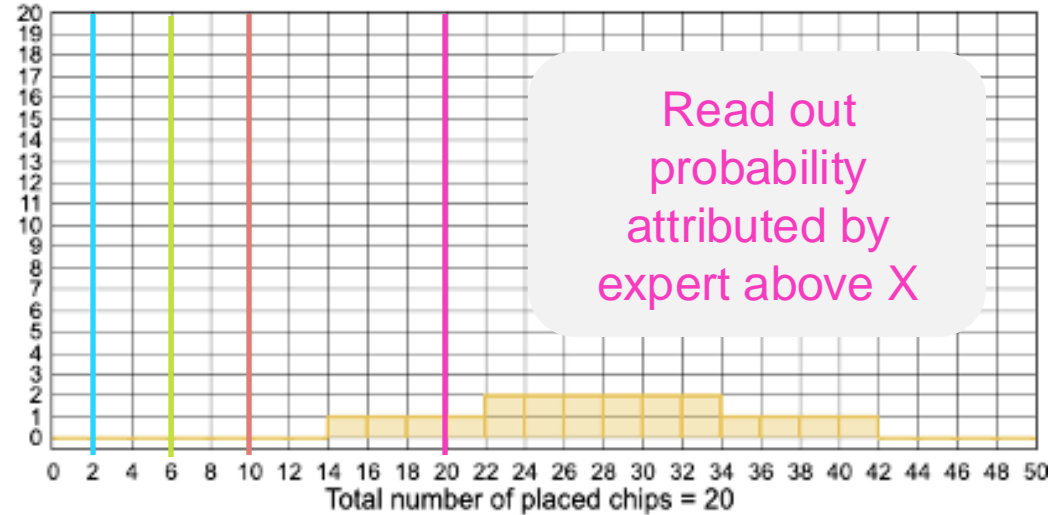
# Comparable prediction outputs

What is the probability of the case count in each HZ exceeding  $X$  cases in the next calendar month?

## Thresholds (X)

- $\geq 2$  cases
- $\geq 6$  cases
- $\geq 10$  cases
- $\geq 20$  cases

## Experts



## Models

Run model on last day of previous month

Forecast horizon set for last day of the month

Estimate probability of as proportion of simulations that exceed  $X$

Fit using cases from the previous 60 days

$$\lambda_{it} = \sum_{t-(D+L)}^{t-D} \gamma N_{i,t-1} + a \sum_j \omega_{ij} N_{j,t-1}$$

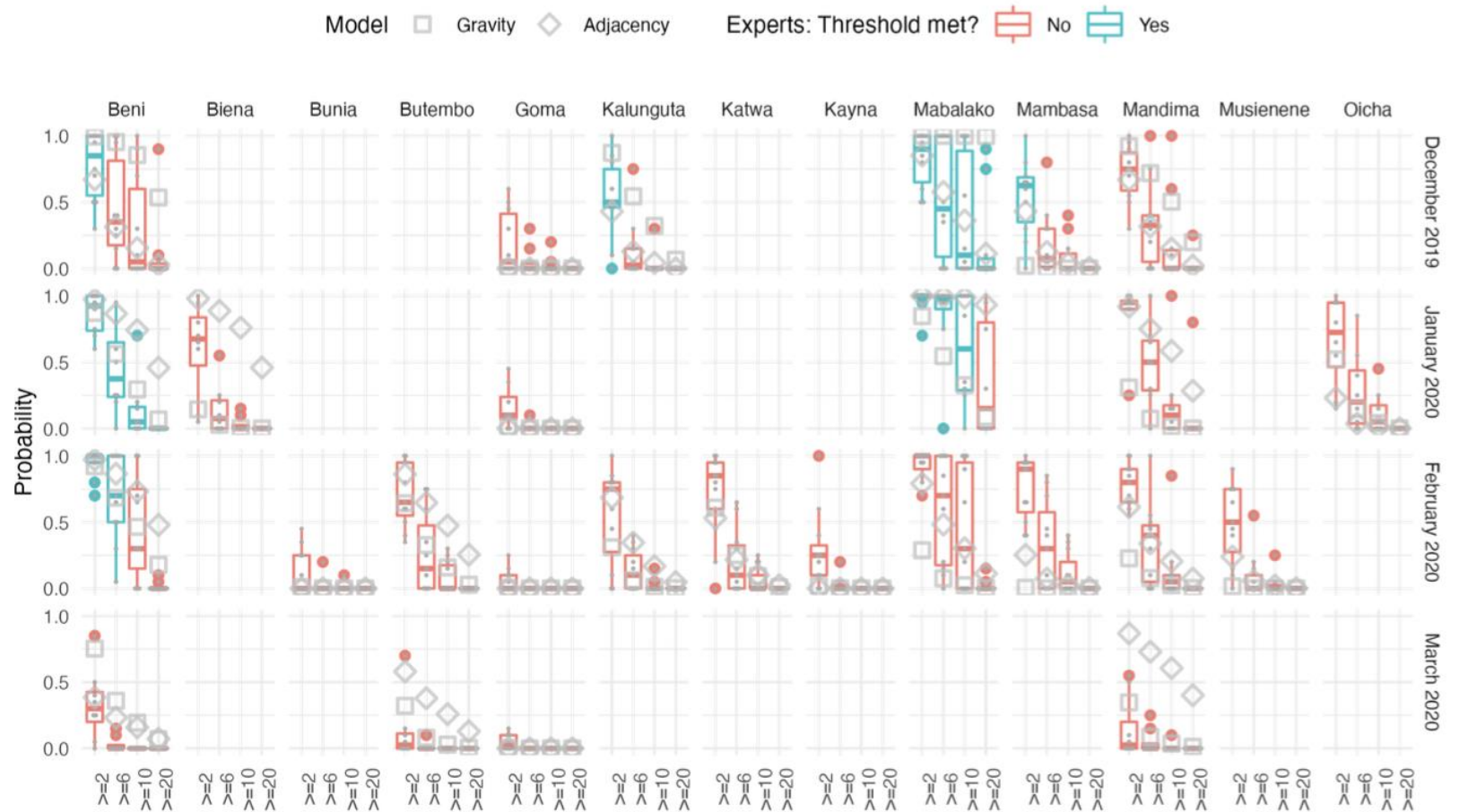


# Comparison of model and expert predictions

# Characterising model and expert predictions

15 thresholds were met vs.  
93 not met

Visually - some experts and models were correlated in their predictions – but difficult make a statement about their relative performance

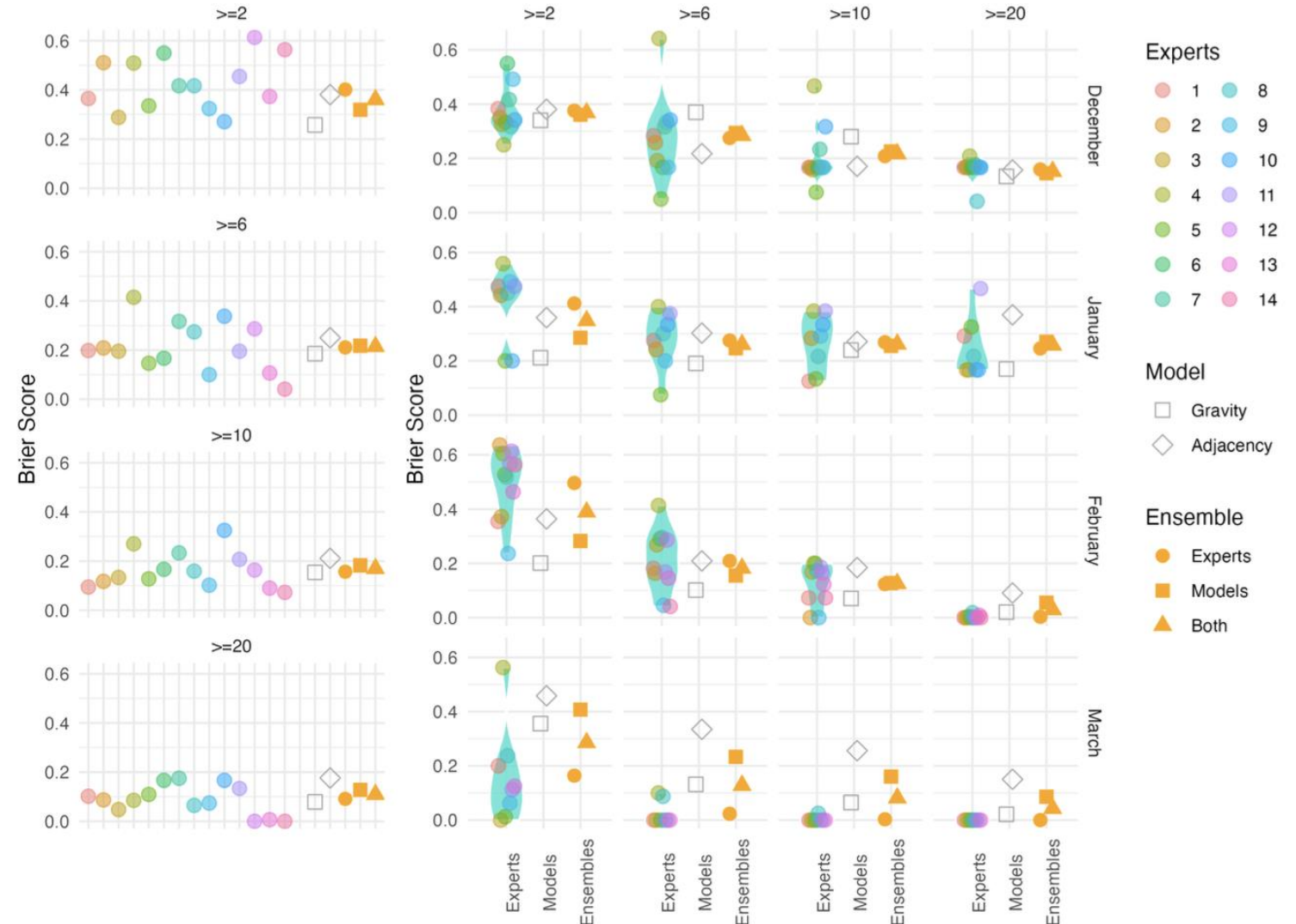


# Quantifying prediction accuracy

Brier score:

$$BS = \frac{1}{N} \sum_{i=1}^N (p_i - o_i)^2$$

The average **difference** between the probability,  $p_i$ , attributed to event  $i$  and the outcome,  $o_i - 1$  (event occurred) or 0 (event not occurred)



# Quantifying prediction accuracy

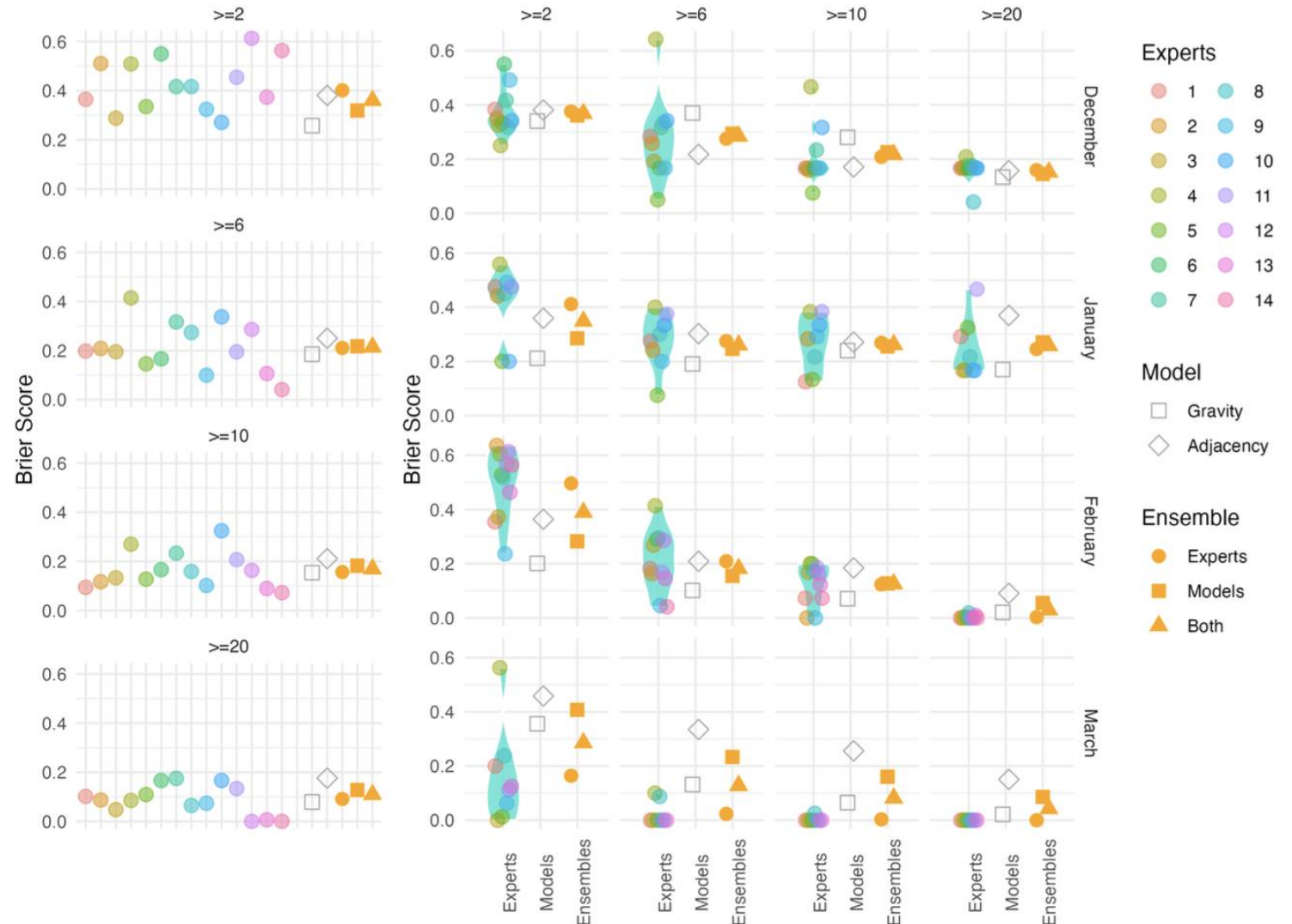
Experts scored between 0 (best) and 0.6 on individual forecasts across all thresholds.

Experts and models both tended to do better on higher thresholds

No individual expert performed consistently well

Gravity model performed best at  $X=2$  – but was not consistent

Ensembled expert and model forecasts were consistently comparable

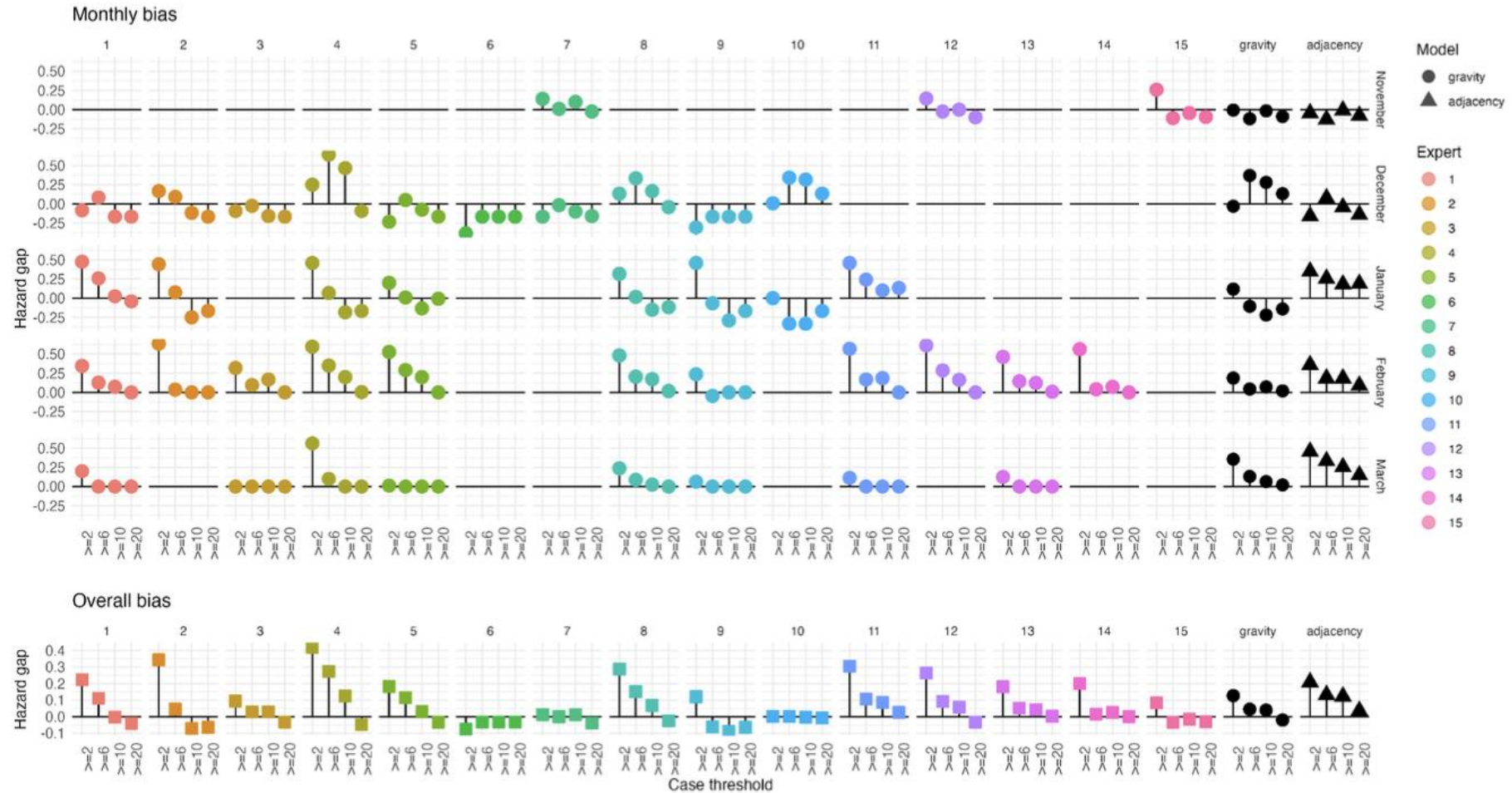


# Quantifying prediction bias

Hazard gap

$$HG = \sum_{\forall HZ} p(c > c_{thresh}) - \sum_{\forall HZ} o(c > c_{thresh})$$

The **difference**  
between **expected**  
**number** of events  
and the **actual**  
**number** observed.

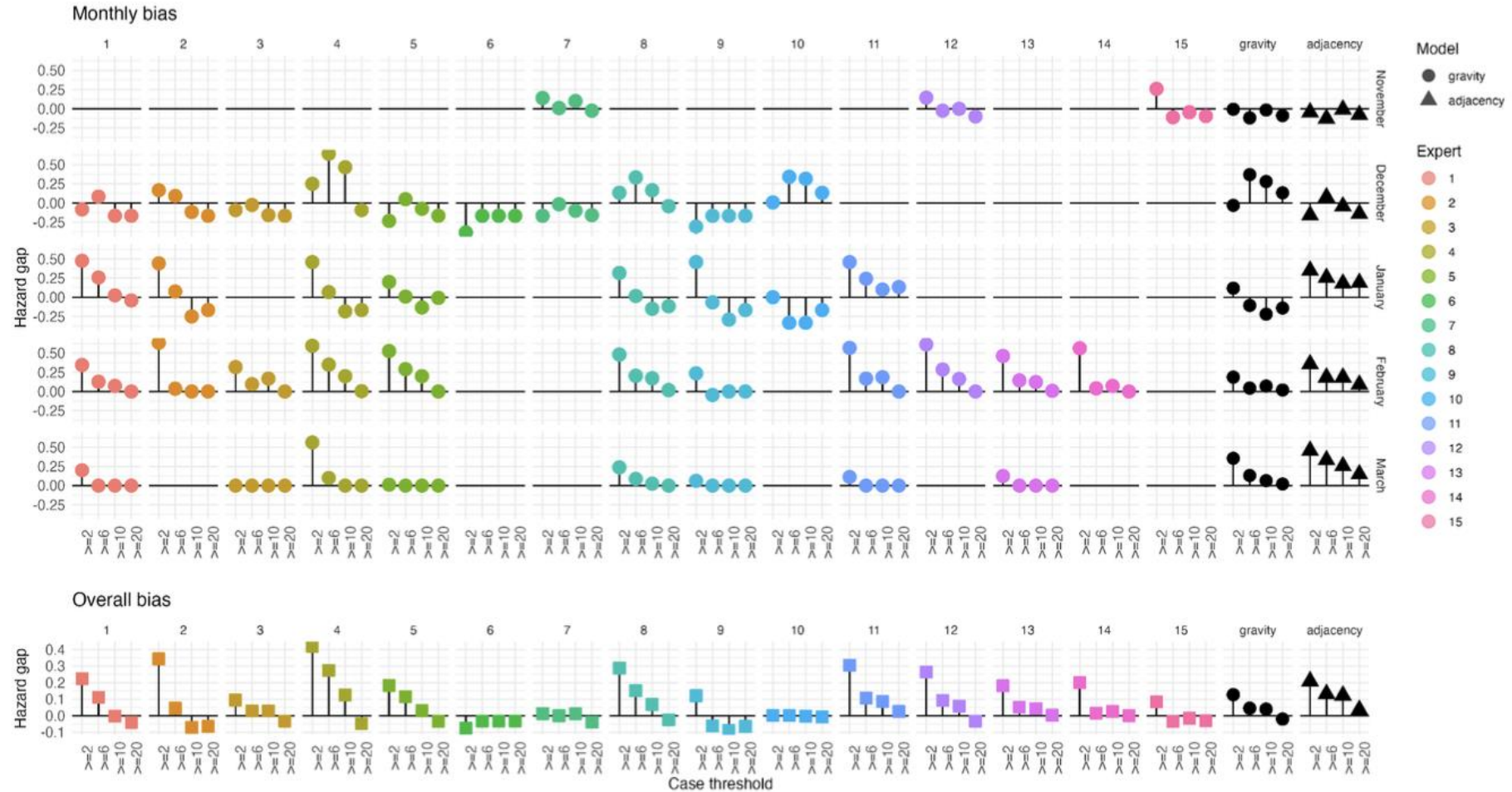


# Quantifying prediction bias

Experts forecasted higher risk of the lowest threshold ( $\geq 2$  cases) ... but lower risk of exceeding the highest threshold ( $\geq 20$  cases)

When calculated across all months, this bias was present in 12 of the 15 experts.

The models showed some bias, but not as pronounced.



# Summary

1. We evaluated forecasts made by experts and two mathematical models of spatially explicit Ebola risk
2. We found that forecasts made by experts and models performed comparably overall when experts were ensembled
3. Experts tended to be slightly more biased towards predicting that a small number of cases would persist
4. There was no single expert that performed as well as the model or ensemble of experts
5. Models continue to provide a convenient way to summarise collected knowledge in an impartial way – we advocate the use of expert predictions in modelling to improve insights.



# Thanks!

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Sebastian Funk

Sir W. John Edmunds

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**Expert panel:** Xavier de Radiguès, Neale Batra, Nabil Tabbal, Mathias Mossoko, Chris Jarvis, Thibaut Jombart, Denis Ardiét, Michel Van Herp, Silimane Ngoma, Olivier le Polain, Esther van Kleef, Noé Guinko, and Amy Gimma + 2 who wished not to be named



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